

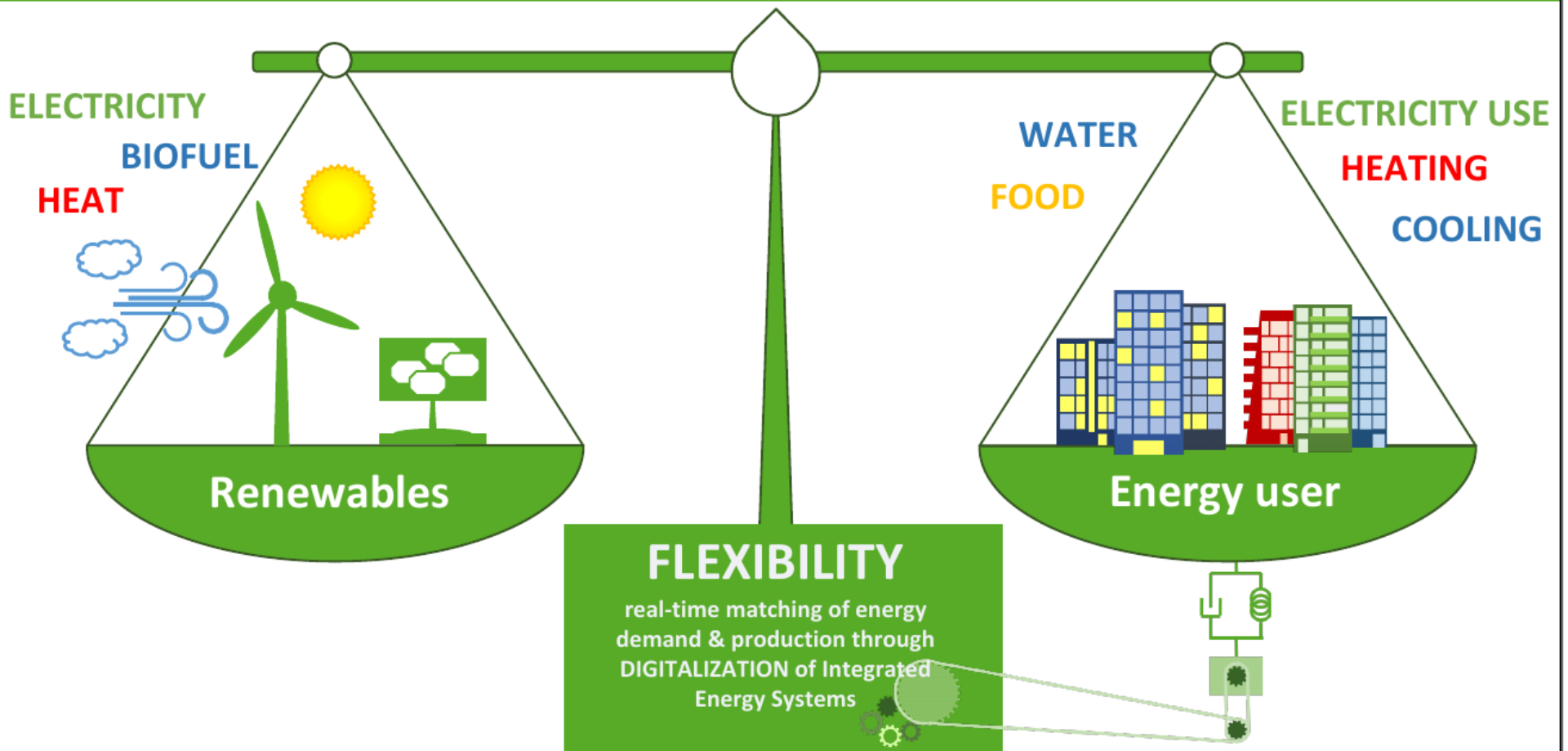
Integrated Modelling, Forecasting and Control for the Future Low-Carbon Society



**Henrik Madsen, Rune Grønborg Junker,
Christian A. Thilker, John Bagterp Jørgensen**
DTU Compute

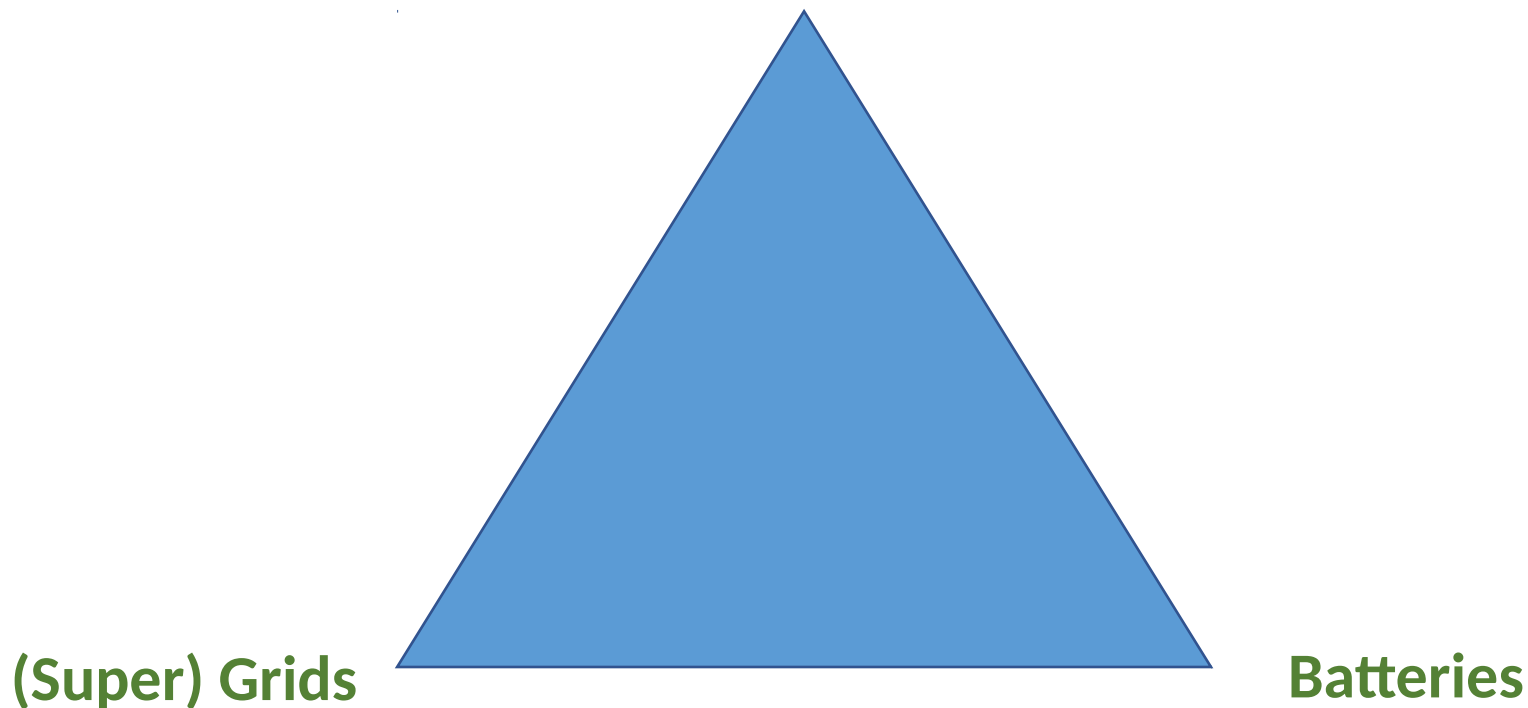
<http://www.henrikmadsen.org>

The Challenge: Denmark Fossil Free 2050



Space of Solutions

Flexibility / Virtual Storage
(enabled by Digitalisation and Energy Systems Integration)

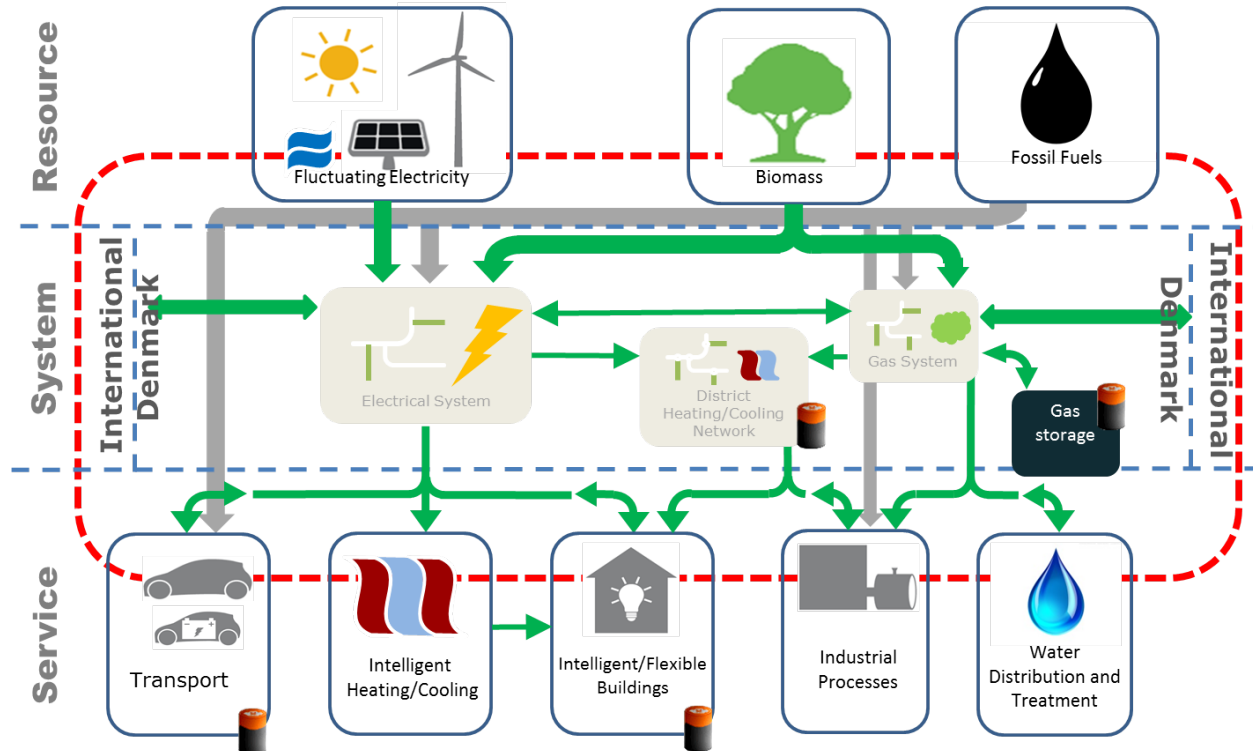


Data-Intelligent and Flexible Energy Systems

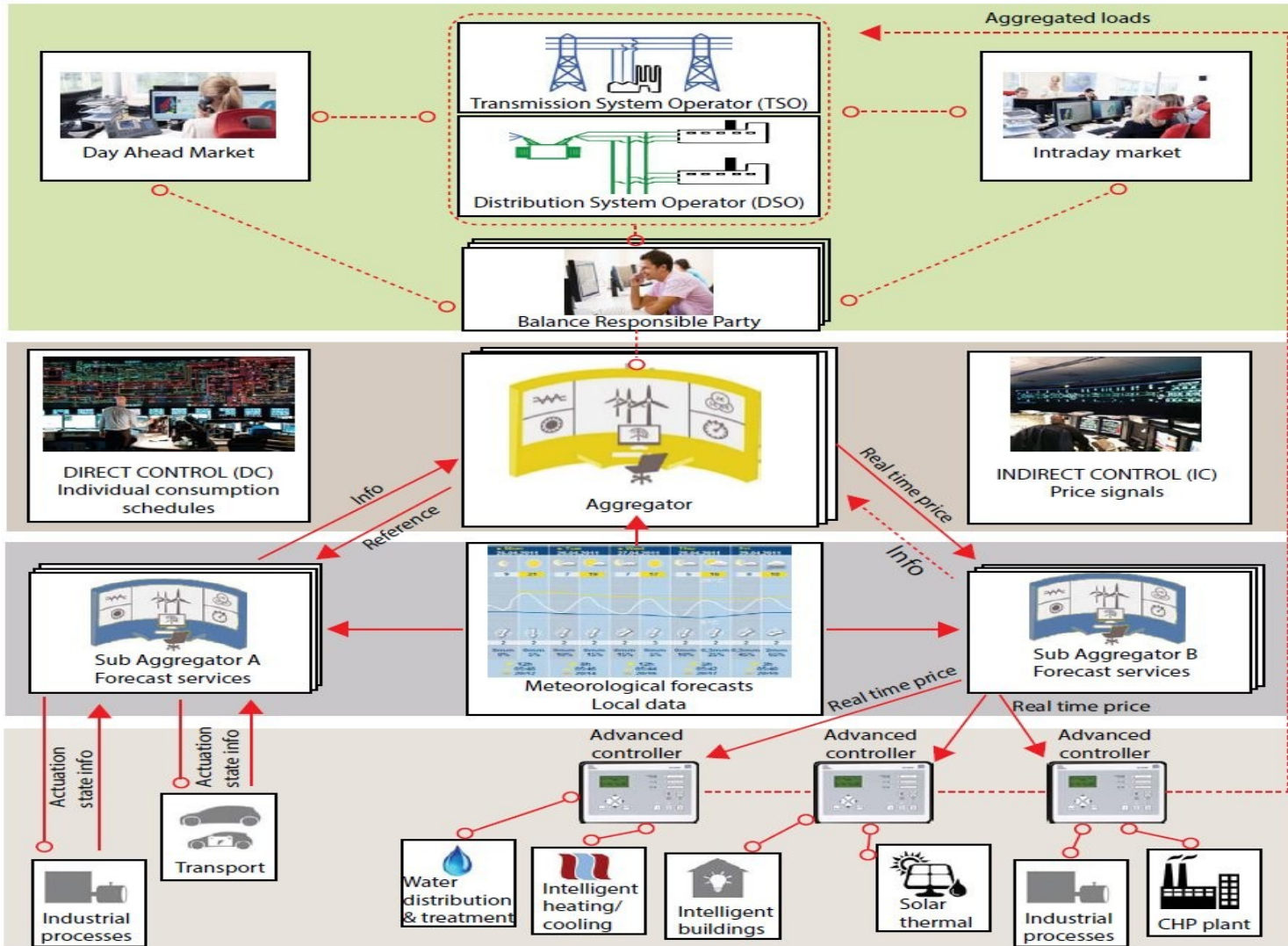


Energy System Models for Real Time Applications and Data Assimilation

Grey-box models are simplified models for the individual components facilitating system integration and use of sensor data

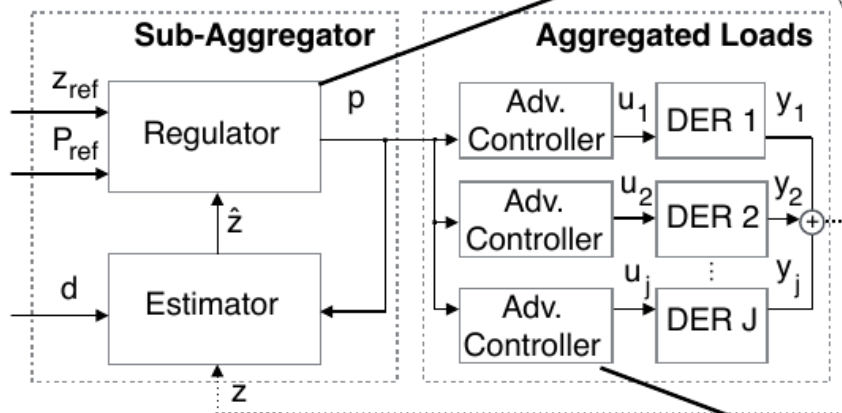


Smart-Energy OS



Proposed methodology

Control-based methodology



$$\min_p \quad \mathbb{E} \left[\sum_{k=0}^N w_{j,k} \|\hat{z}_k - z_{ref,k}\| + \mu \|p_k - p_{ref,k}\| \right]$$

$$\text{s.t.} \quad \hat{z}_{k+1} = f(p_k)$$

We adopt a control-based approach where the **price** becomes the driver to **manipulate** the behaviour of a certain pool flexible prosumers.

$$\min_u \quad \mathbb{E} \left[\sum_{k=0}^N \sum_{j=1}^J \phi_j(x_{j,k}, u_{j,k}, p_k) \right]$$

$$\text{s.t.} \quad x_{k+1} = Ax_k + Bu_k + Ed_k,$$

$$y_k = Cx_k,$$

$$y_k^{min} \leq y_k \leq y_k^{max},$$

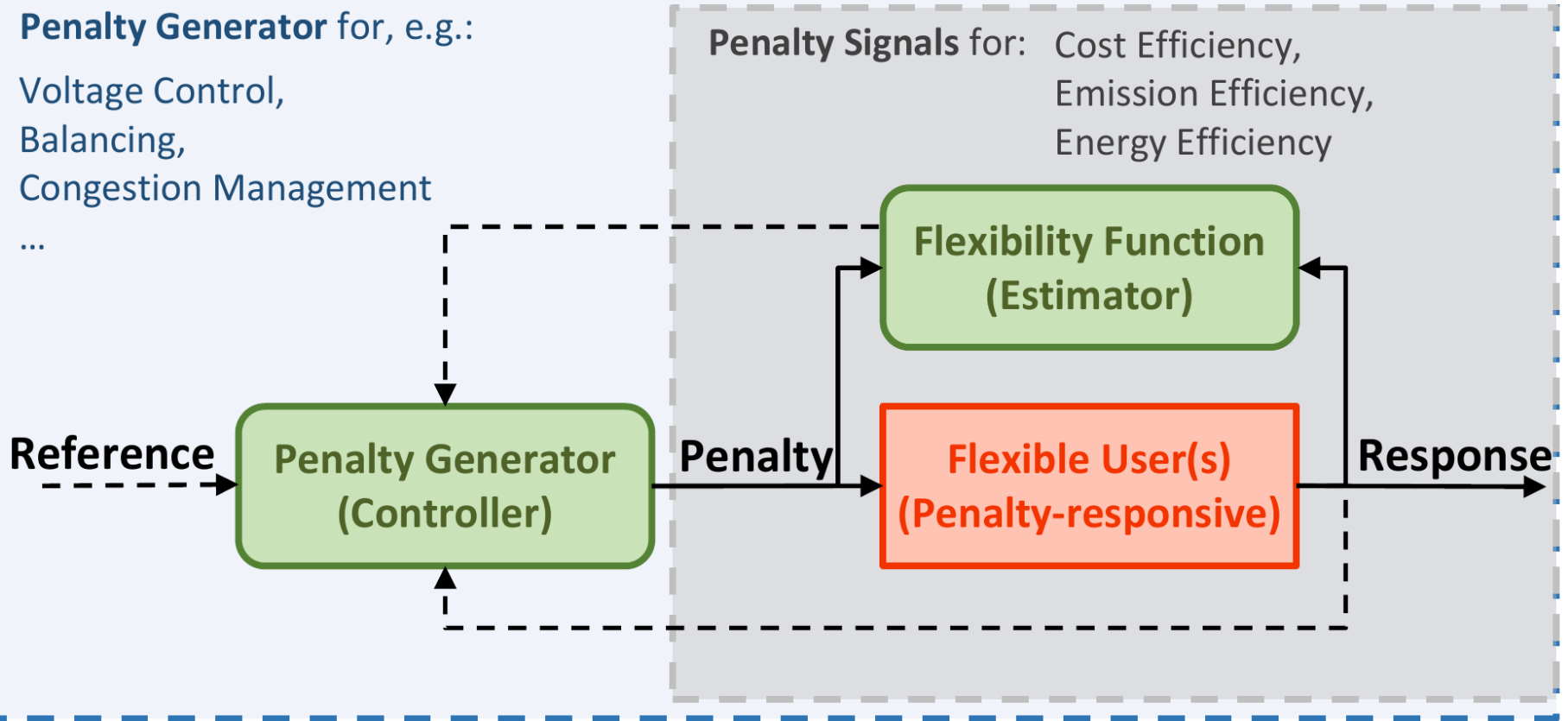
$$u_k^{min} \leq u_k \leq u_k^{max}$$



A FED example: Flexible Users and Penalty Signals

Penalty Generator for, e.g.:

- Voltage Control,
- Balancing,
- Congestion Management
- ...



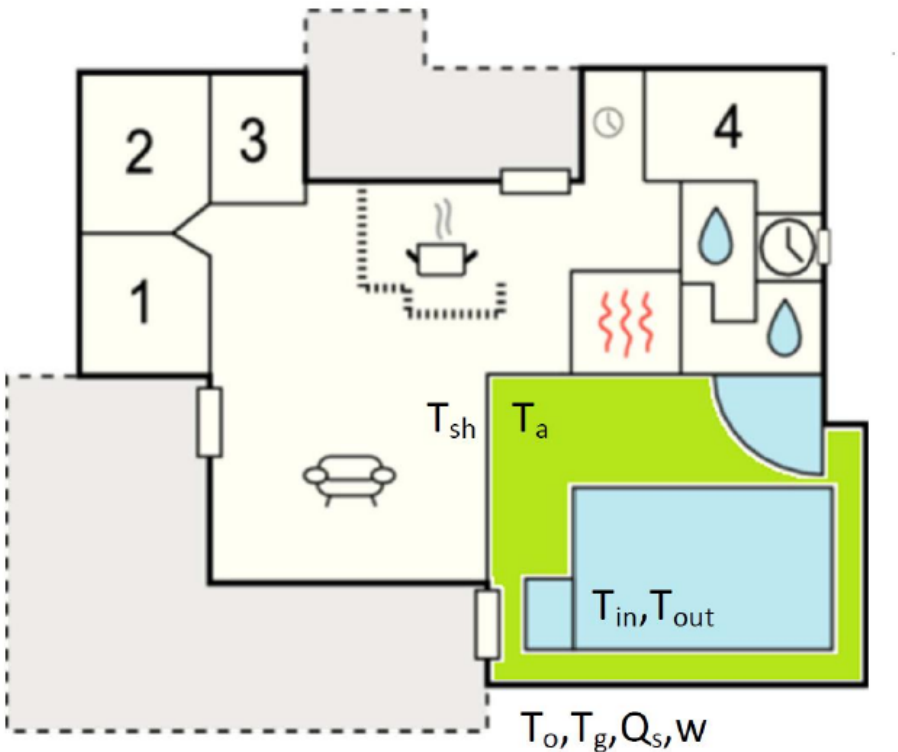
Case study No. 1

Control of heat pumps for swimming pools (CO₂ minimization)



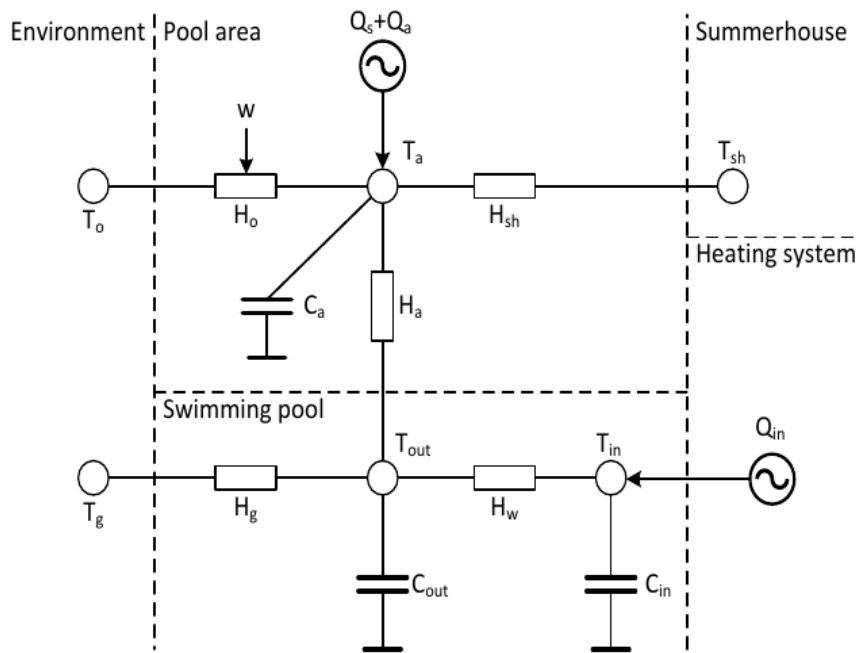


The considered house



- T_{sh} – summerhouse temperature
- T_a – temperature of air in the pool area
- T_{in} – water temperature into the swimming pool
- T_{out} – water temperature out of the swimming pool (controlled)
- T_o – outdoor temperature
- T_g – ground temperature
- Q_s – solar heat gain
- w – wind speed

Grey-box model (lumped parameter model)



- Based on equivalent thermal parameters model

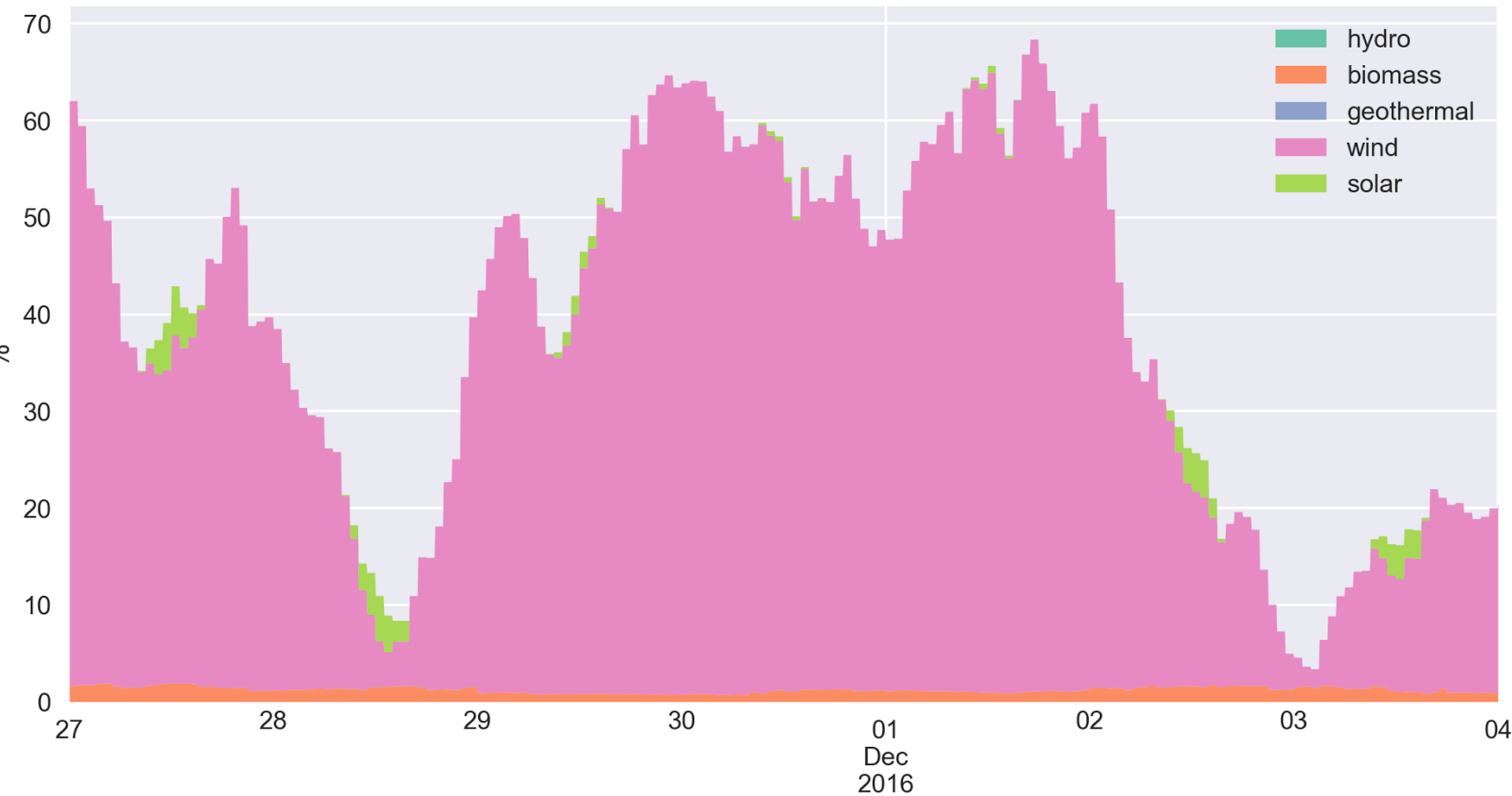
- Dynamics:

$$\frac{dT_{in}}{dt} = \frac{1}{C_{in}} [H_w(T_{out} - T_{in}) + Q_{in}]$$

$$\frac{dT_{out}}{dt} = \frac{1}{C_{out}} [H_w(T_{in} - T_{out}) + H_g(T_g - T_{out}) + H_a(T_a - T_{out})]$$

$$\frac{dT_a}{dt} = \frac{1}{C_a} [H_o(w)(T_o - T_a) + H_a(T_{out} - T_a) + H_{sh}(T_{sh} - T_a) + Q_s + Q_a]$$

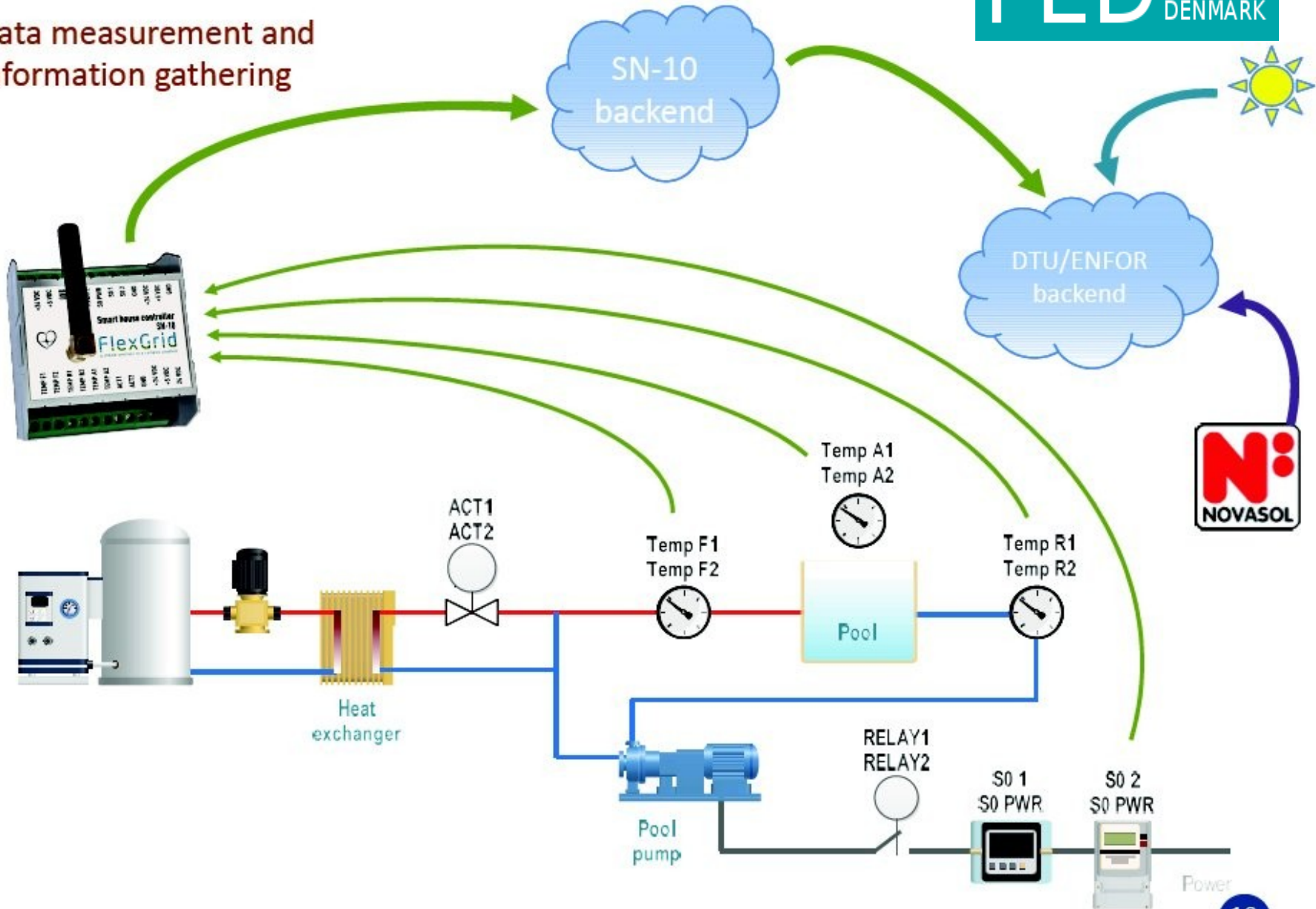
Share of electricity originating from renewables in Denmark Late Nov 2016 - Start Dec 2016



Source: pro.electricitymap.com

How does it work?

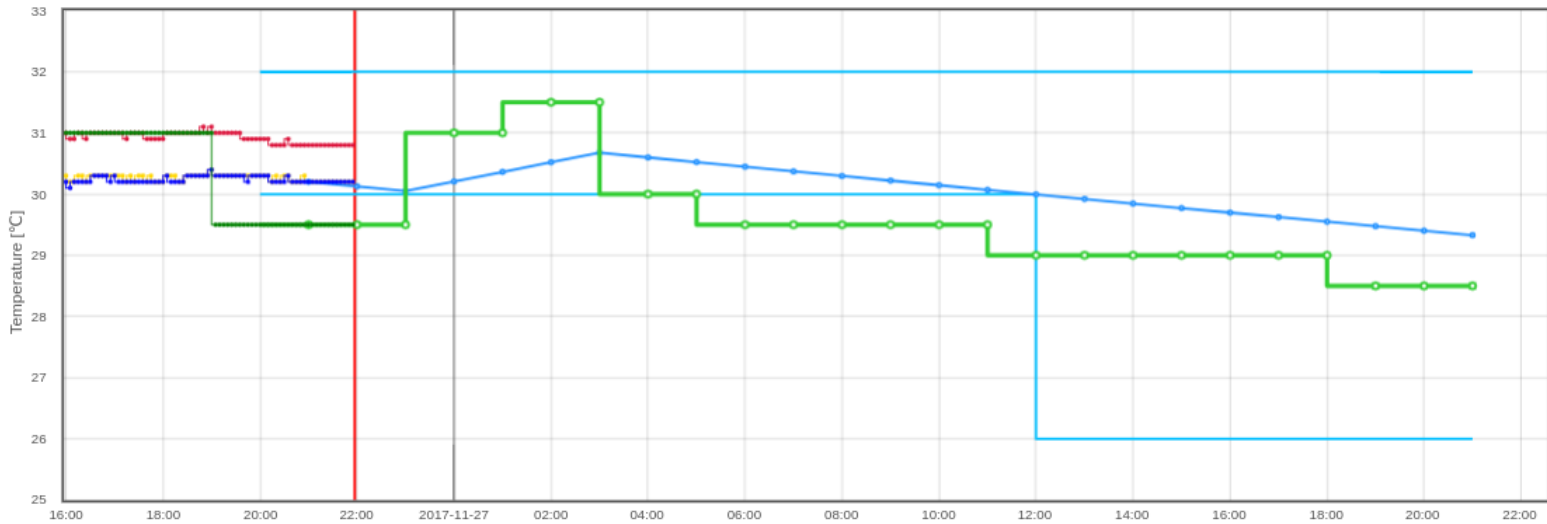
Data measurement and information gathering



Example: CO2-based control (savings 15 pct)

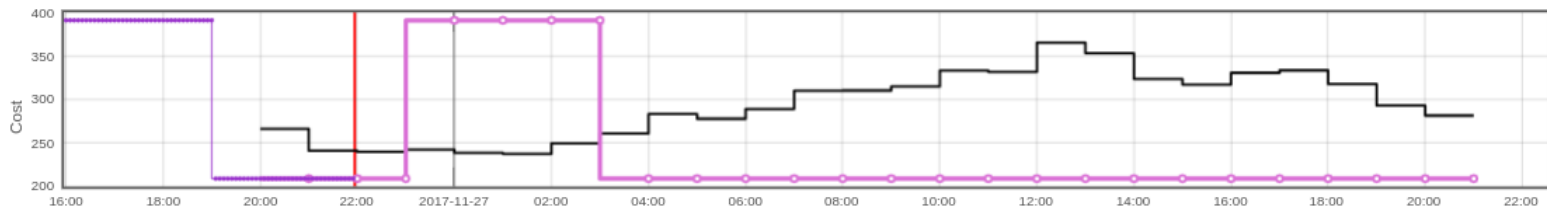
D7811 Controller

Cost: co2intensity [g/kWh]



- me-5m / WaterTemperatureForward
- me-5m / AirTemperature
- pre / WaterTemperatureReturnMinLimit
- pre / WaterTemperatureReturnMaxLim
- pre / WaterTemperatureReturn
- me-5m / WaterTemperatureReturn
- pre / WaterTemperatureSetpoint
- me-5m / WaterTemperatureSetpoint

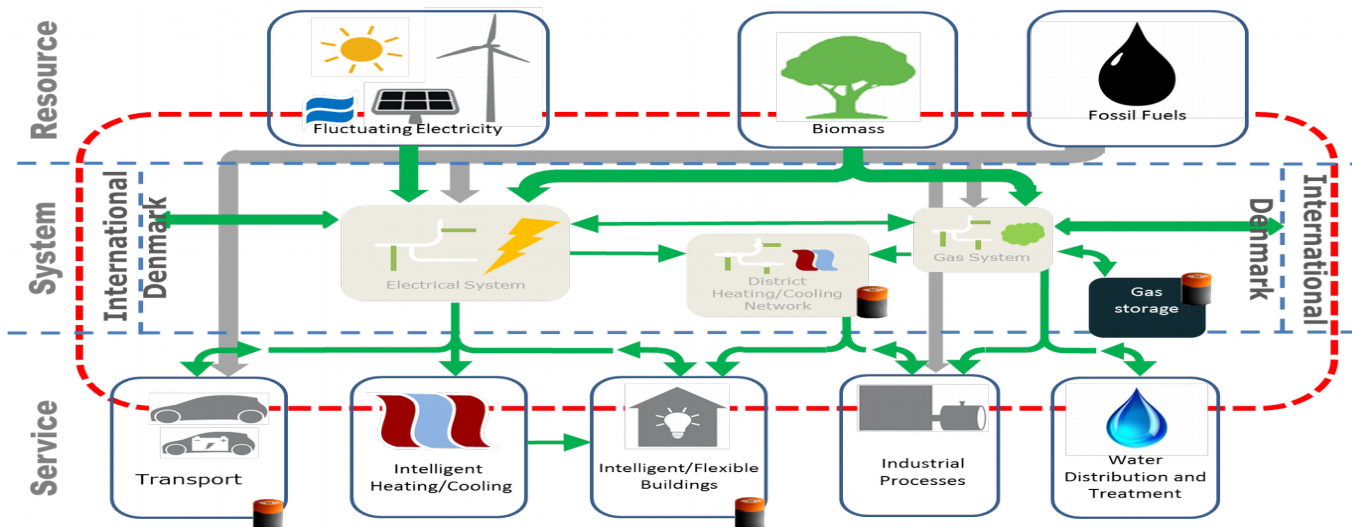
Download



- pre-inp / CostPre co2intensity [g/kWh]
- pre / ValveState
- me-5m / ValveState

Download

Flexibility (or Virtual Storage) Solutions



● Flexibility (or virtual storage) characteristics:

- Wastewater systems can provide storage 0.2-6 hours ahead
- Supermarket refrigeration can provide storage 0.5-2 hours ahead
- Buildings thermal capacity can provide storage up to, say, 2-10 hours ahead
- Buildings with local water storage can provide storage up to, say, 2-18 hours ahead
- District heating/cooling systems can provide storage up to 1-4 days ahead
- DH systems can provide seasonal storage solutions
- Gas systems can provide seasonal/long term storage solutions

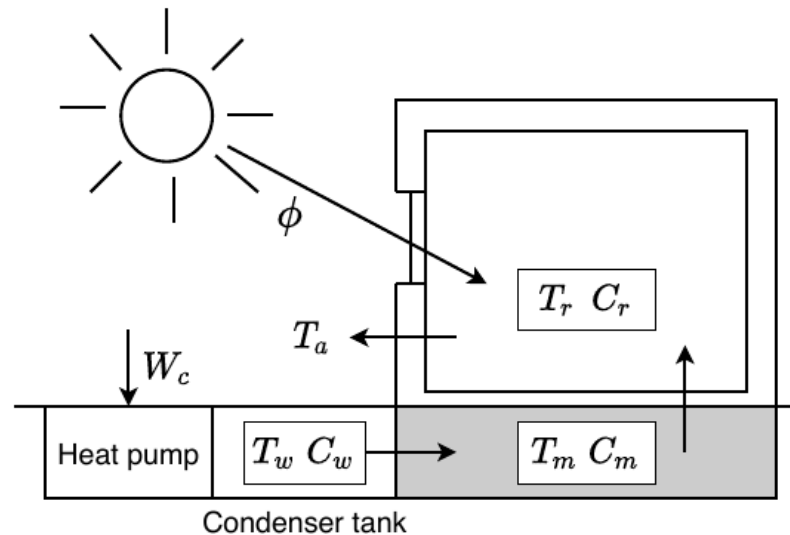
Case study No. 2

Control of smart buildings using integrated weather forecasting



A Smart House

The smart house components:



The smart building and its components are also modelled using grey-box modelling. The optimal model for the building turns out to be a linear grey-box model.

Model for weather forecasting

$$\begin{array}{l}
 \text{Disturbance} \\
 \text{model}
 \end{array}
 \left\{ \begin{array}{l}
 dZ_{\kappa} = f_{\psi}(Z_{\kappa})dt + \sigma_{\psi}d\omega_{\kappa} \\
 \kappa = \psi^{-1}(Z_{\kappa}) \\
 \phi = I_N(\kappa, t) + I_D(\kappa, t) \\
 R_n = R_n(\kappa, \phi, t) \\
 dT_s = f_{T_s}(T_l, T_s)dt + \sigma_s d\omega_s \\
 dT_l = f_{T_l}(T_l, T_s, R_n)dt + \sigma_l d\omega_a \\
 \mathbf{d} = [T_a, \phi]^T
 \end{array} \right.$$

$$\begin{array}{l}
 \text{Observation} \\
 \text{equation}
 \end{array}
 \left\{ \begin{array}{l}
 d\phi = \phi + v_{\phi}, \quad v_{\phi} \sim N_{iid}(0, R_{\phi}) \\
 dT_a = T_l + v_{T_a}, \quad v_{T_a} \sim N_{iid}(0, R_{T_a}) \\
 \mathbf{y}_d = [dT_a, d\phi]^T,
 \end{array} \right.$$

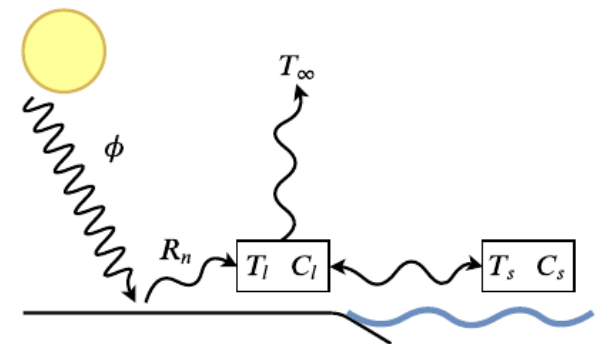
Grey-box model for air temperature

One of the elements is a model for the ambient air temperature which uses net radiation as input:

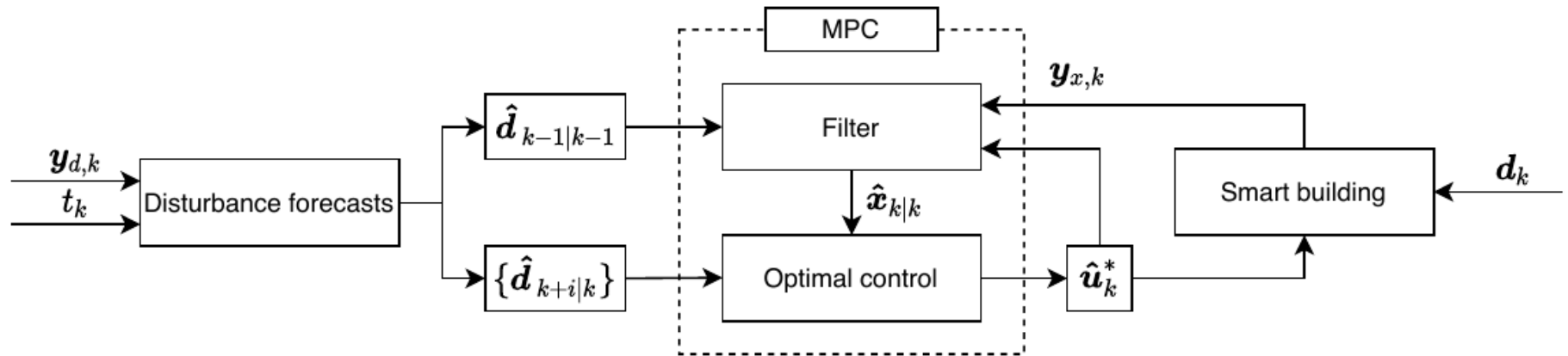
$$C_s dT_s(t) = \left(\frac{1}{R_{sl}} (T_l(t) - T_s(t)) \right) dt + \sigma_s d\omega_s(t),$$

$$C_l dT_l(t) = \left(\frac{1}{R_{sl}} (T_s(t) - T_l(t)) + \frac{1}{R_{l\infty}} (T_\infty - T_l(t)) + R_n(t) \right) dt + \sigma_l d\omega_l(t),$$

$$dT_a(t_k) = T_l(t_k) + v_{T_a}(t_k),$$

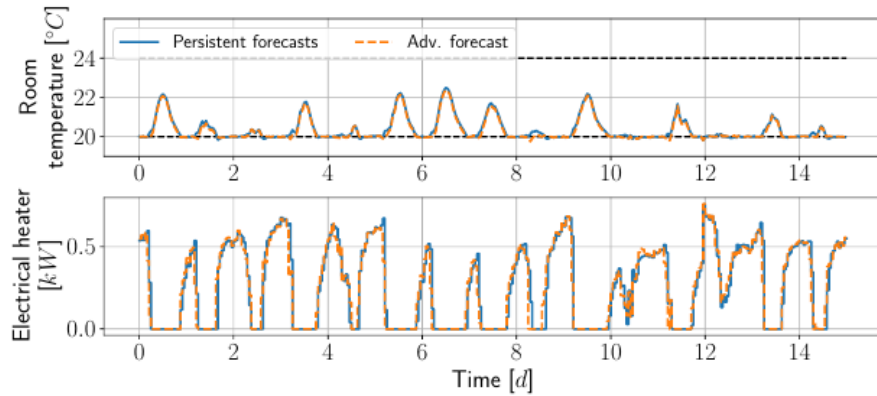


Combined Forecasting and Control

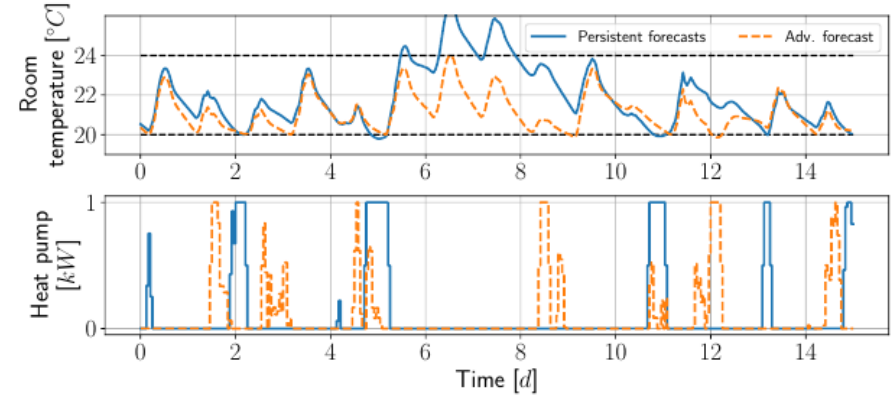


15 days out of 7 months simulation

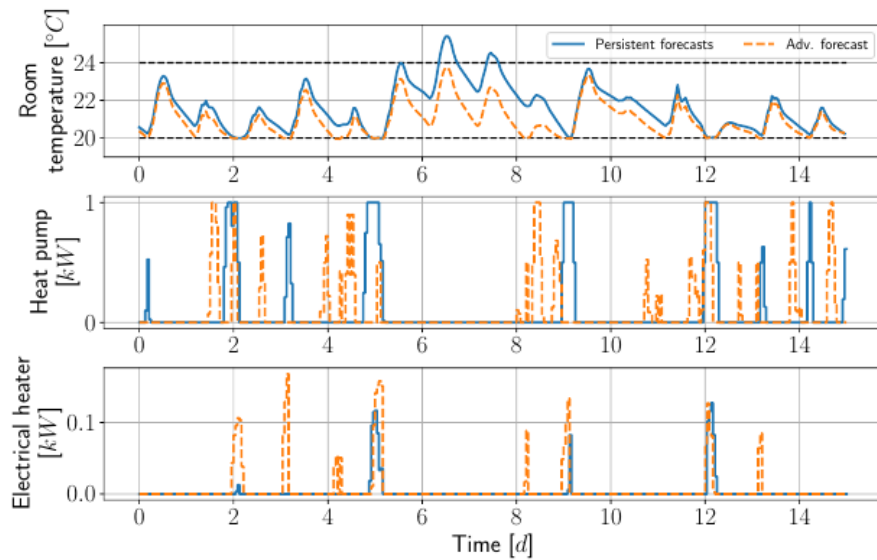
Strategy 1: Electrical Heaters



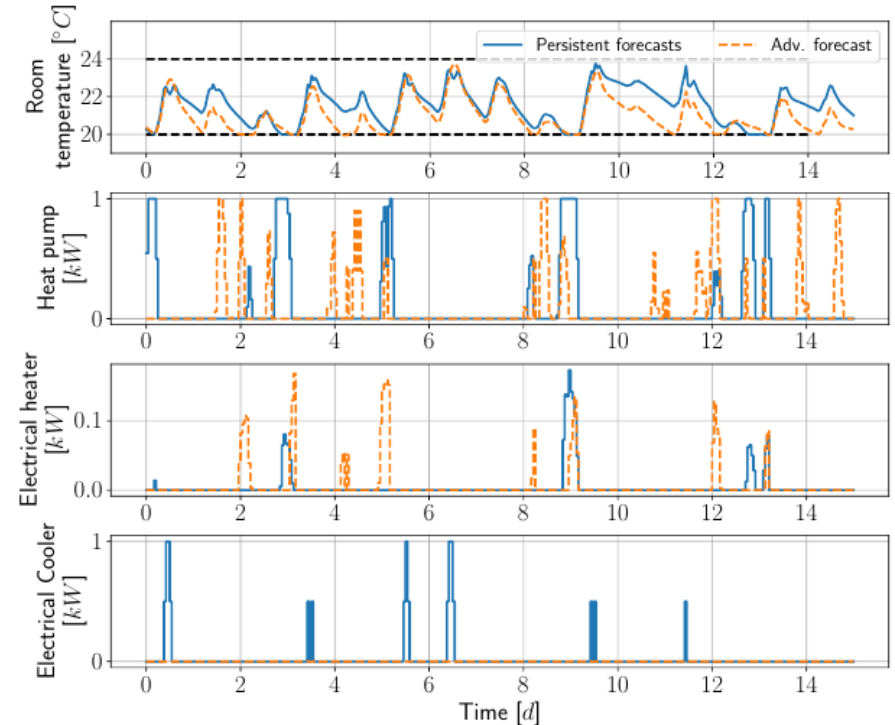
Strategy 2: Heat Pump



Strategy 3: Heat Pump & Electrical Heaters



Strategy 4: Heat Pump & Electrical Heaters & Coolers



Electricity cost (EUR)

Electricity cost of the simulations

Heating strategy	Persistent	Advanced forecasts	Perfect
Electrical heaters, u_1	303.2	302.2	302.0
Heat pump, u_2	117.3	110.4	107.7
Heat pump plus electrical heaters, u_3	113.0	108.2	107.5
Heat pump plus electrical heaters and coolers, u_4	117.9	108.3	107.5

Constraint violations

Constraint violation of the control simulations

Heating strategy	Persistent	Advanced forecasts	Perfect
Electrical heaters, u_1	48.5	39.6	25.1
Heat pump, u_2	157.9	12.3	1.7
Heat pump plus electrical heaters, u_3	48.0	6.7	1.2
Heat pump plus electrical heaters and coolers, u_4	4.4	2.4	0

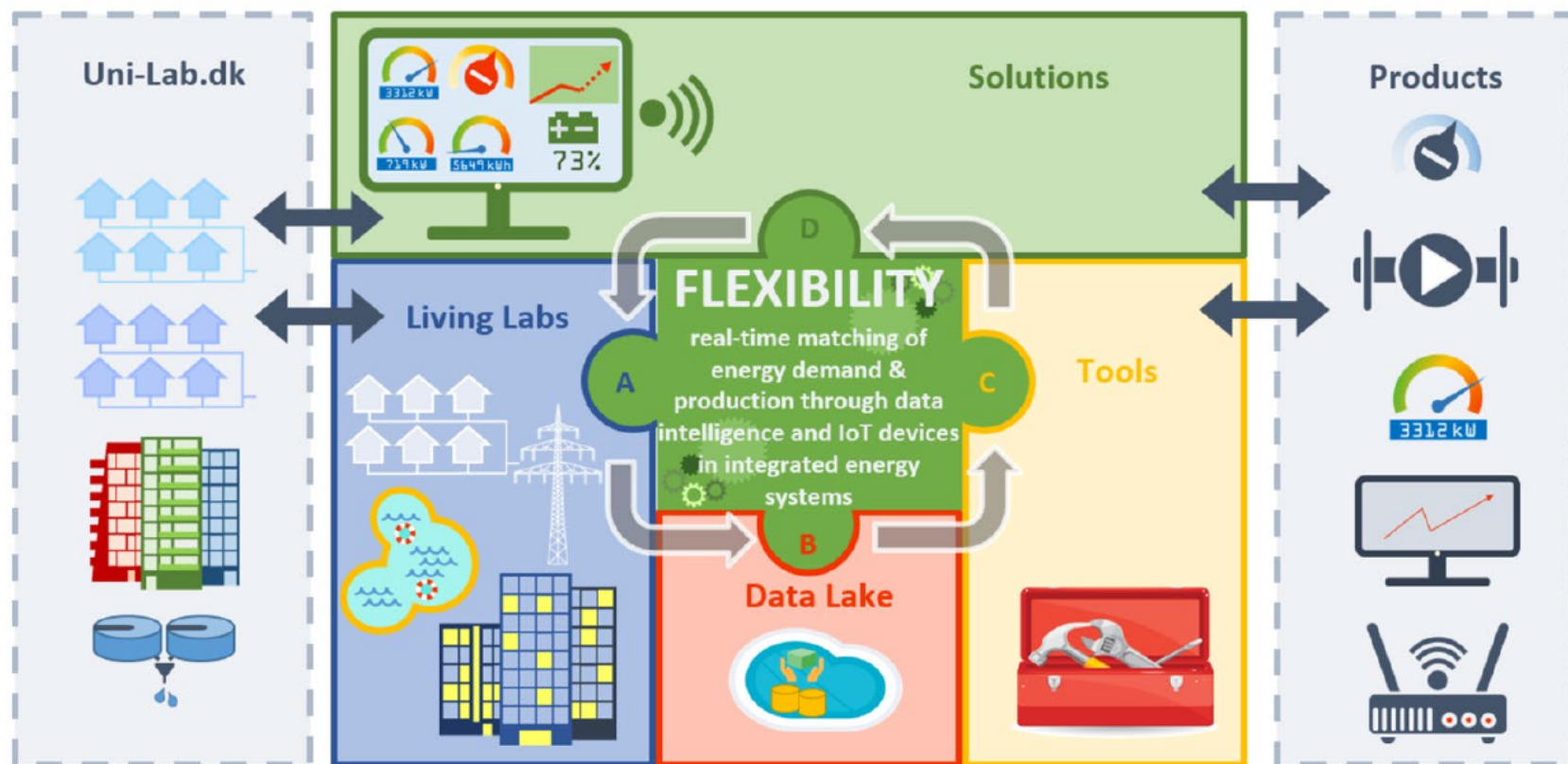
Center Denmark

Digitalization Hub for Integrated Smart Solutions



Center Danmark – Digitaliserings Hub

Circularity in the development of digital energy systems



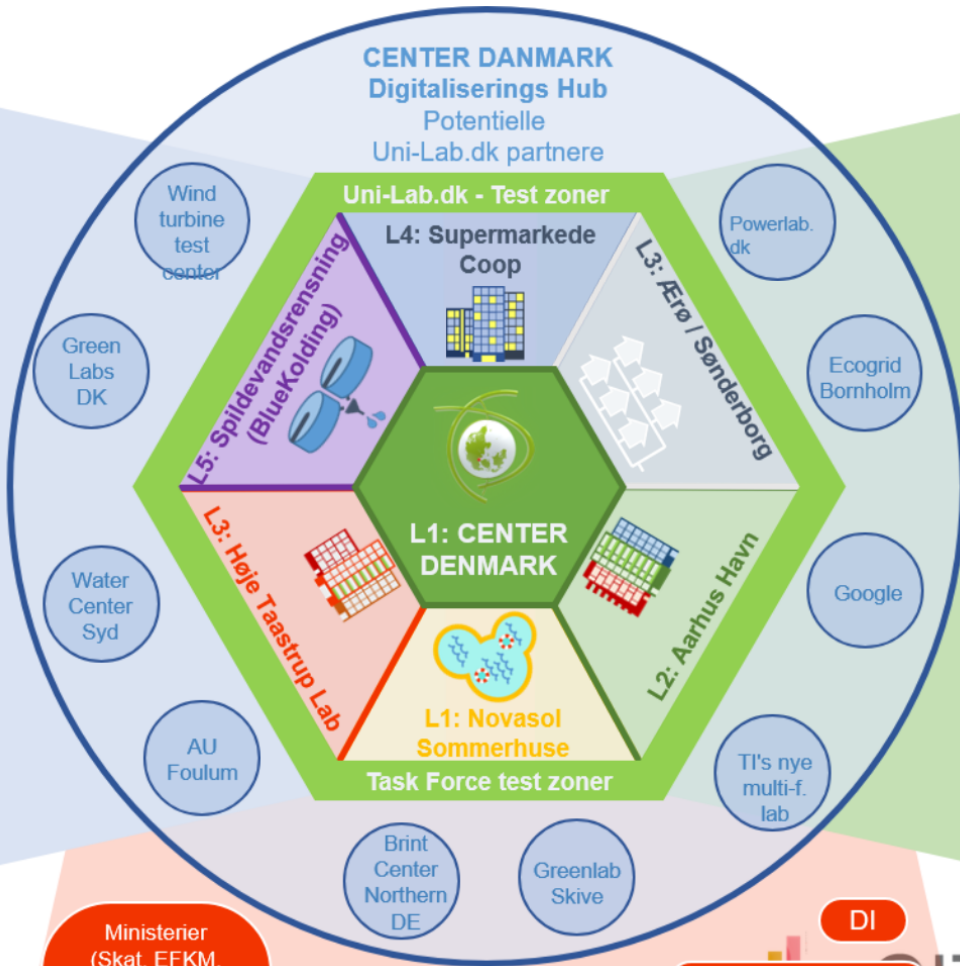


Uni-Lab.dk

Internationalt:

UNILAB consortium

- Cardiff University
- Danmarks Tekniske Universitet (DTU), Denmark
- Royal Institute of Technology (KTH), Sweden
- German Technical and Scientific Association for Gas and Water (DVGW), Germany
- Imperial College, United Kingdom
- Tianjing University, P.R. of China
- TNO - Netherlands
- Toshiba Research Laboratory (TRL), UK
- Tsinghua University - P.R. of China
- Katholieke Universiteit Leuven (KUL), Belgium
- Malardalen University, Sweden



Nationale

samarbejdspartnere

- Energi og IT relaterede virksomheder
- Teknologisk Institut
- Energinet.dk
- Grøn Energi
- Alle Universiteter
- CLEAN + Inno SE
- House of Energy
- Forsyninger og Grid operatører

Ministerier (Skat, EFKM, Erhvervsministeriet),

Energistyrelsen

Erhvervsstyrelsen

DI

Dansk Fjernvarme

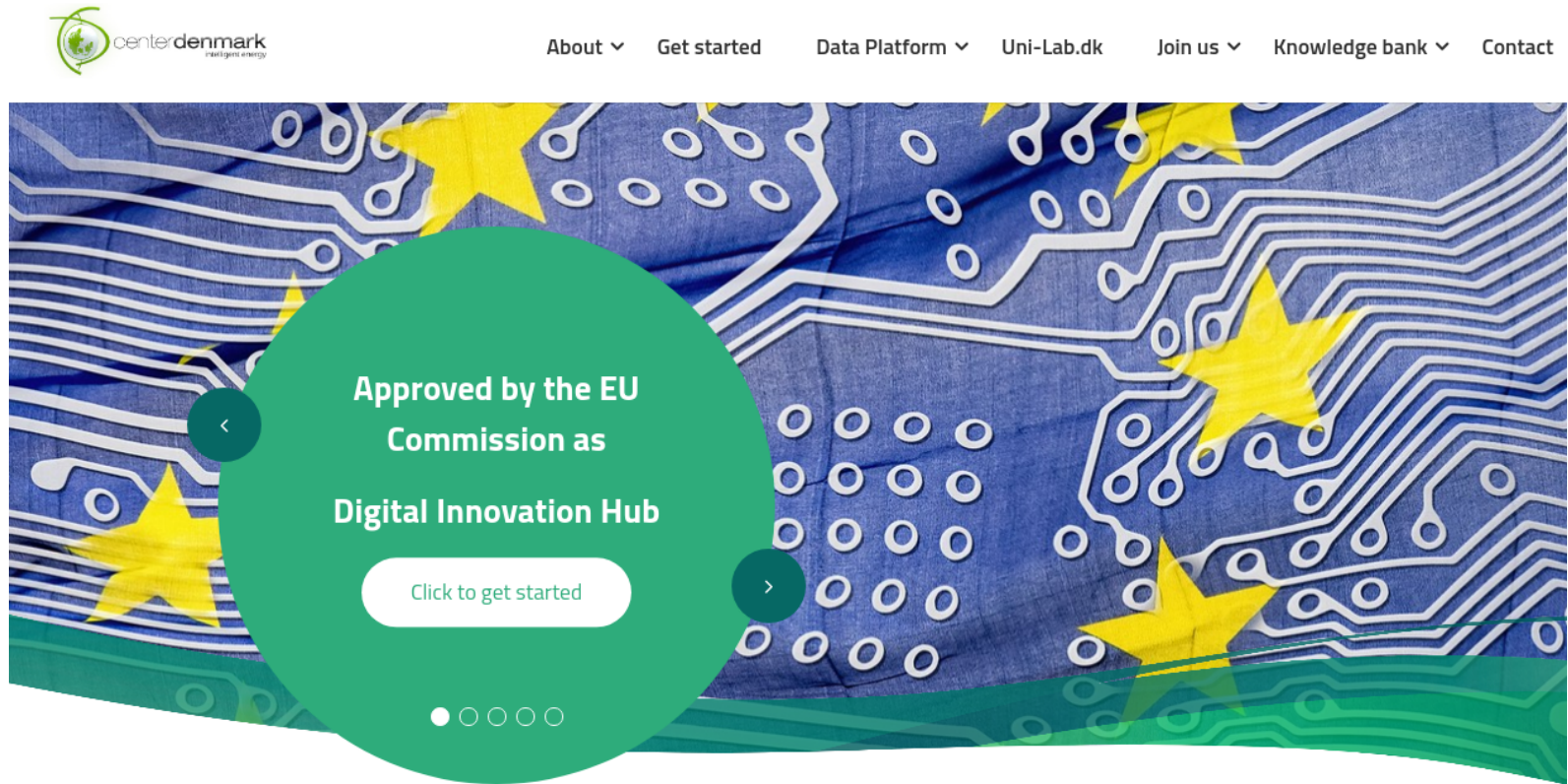
DE

Center Denmark



Become a partner - see www.centerdenmark.com

It will increase possibilities for eg. EU projects and support - also since Center Denmark is approved by the Commission



C

Center for Intelligent Energy Systems

Center Denmark is an independent and non-profit national research center with the aim to unify and embed research results within the field of digitalization of energy systems and put

FLEXIBLE
ENERGY
DENMARK

Summary

- **Methods for integrated modelling, forecasting and control are presented**
- **Using the Smart-Energy OS we have seen large potentials for Demand Response and Virtual Storage on all relevant time scales**
- **Automatic solutions are important**
- **Solutions are implemented at Center Denmark**
- **Solutions are tested and further developed using Uni-Lab.dk**
- **Digitalization and sector coupling is essential**
- **The controllers can provide**
 - **Energy Efficiency**
 - **Cost Minimization**
 - **Emission Efficiency**
 - **Peak Shaving**
 - **Smart Grid Services (like ancillary services needs, ...)**

Control problem

In control the input, \mathbf{u}_k , is piece-wise constant. Hence the cost cost function can be written as

$$\bar{\varphi} = \sum_{i \in \mathcal{N}} \mathbf{c}_{k+i}^T \mathbf{u}_{k+i} + \sum_{i \in \mathcal{N}} \boldsymbol{\rho}_{k+i+1}^T \mathbf{s}_{k+i+1}, \quad (7)$$

Given the linear model for the smart building the optimal control problem is

$$J(\hat{\mathbf{x}}_{k|k}, \{\hat{\mathbf{d}}_{k+i|k}\}_{i \in \mathcal{N}}) = \min_{\mathbf{u}, \mathbf{s}} \bar{\varphi}, \quad (8a)$$

$$s.t. \quad \mathbf{x}(t_k) = \hat{\mathbf{x}}_{k|k}, \quad (8b)$$

$$\mathbf{x}(t_{k+i+1}) = A\mathbf{x}(t_{k+i}) + B\mathbf{u}_{k+i} + E\hat{\mathbf{d}}_{k+i|k}, \quad (8c)$$

$$\mathbf{x}(t_{k+i+1}) \in \mathcal{X}_{k+i+1}, \quad (8d)$$

$$\mathbf{u}_{k+i} \in \mathcal{U}_{k+i}, \quad (8e)$$

$$\mathbf{s}_{k+i+1} \geq \mathbf{0}, \quad (8f)$$

$$i \in \mathcal{N}, \quad (8g)$$

Grey-box Modelling

